Tree

You are given a **tree** with N **vertices**, numbered from 1 to N. Vertex 1 is called the **root**.

Each vertex u has an associated value $C[u]$. Let $P[u]$ denote the parent of node u. We define $P[1] = 0$. For two nodes u and v, let $LCA(u, v)$ denote their **lowest common ancestor**.

For any two vertices u and v, let $\text{path_max}(u, v)$ be the maximum value $C[x]$ among all vertices x on the **path** from u to v, inclusive. Similarly, let $\text{path_min}(u, v)$ be the minimum value $C[x]$ among all vertices on this path.

You are given Q queries. Each query consists of two vertices u and v. It is guaranteed that neither u nor v is an **ancestor** of the other.

For each query, consider all pairs of nodes (x, y) such that:

- x lies on the path from u to $LCA(u, v)$, excluding $LCA(u, v)$;
- y lies on the path from v to $LCA(u, v)$, excluding $LCA(u, v)$.

For each such pair, define

$$f(x, y) = \text{path_max}(P[x], P[y]) - \max(\text{path_min}(x, u), \text{path_min}(y, v)).$$

Your task is to find, for each query, the maximum possible value of $f(x, y)$.

A **path** between two vertices u and v is a sequence of vertices $x_1, x_2, \ldots, x_k$ such that $x_1 = u$, $x_k = v$ and there is an edge between x_i and x_{i+1} for each i ($1 \leq i < k$).

A **tree** is a connected graph without cycles. In other words, it is a graph with N vertices and $N - 1$ edges such that there exists exactly one path between any two distinct vertices.

A vertex u is called an **ancestor** of vertex v if and only if the path from 1 to v passes through u.

The **lowest common ancestor** of u and v is the vertex that is furthest away from vertex 1 while being an ancestor of vertices both u and v.

Input

The first line contains the integers N, Q. The second line contains the values $C[1], C[2], \ldots, C[N]$. The third line contains the parents $P[2], P[3], \ldots, P[N]$. The following Q lines each contain a pair of integers u, v.

Output

Print Q lines. The i-th line should have the maximum possible value of $f(x, y)$ for the i-th query.

Examples

Example 1

Input	Output
5 2 10 5 2 8 15 1 1 2 3 2 5 2 3	5 5

Example 2

Input	Output
8 4 20 10 5 15 12 25 8 30 1 2 1 4 5 6 7 3 8 8 3 3 6 3 4	17 17 8 5

Explanation

For the first query of Example 1, $(u, v) = (2, 5)$, we have $LCA(2, 5) = 1$.

Choosing $x = 2$ and $y = 3$, we obtain

$$f(2, 3) = 10 - \max(5, 2) = 5.$$

It can be shown that this is the maximum possible value. Therefore, the answer is 5.

For the second query, $(u, v) = (2, 3)$, the only valid pair is $(x, y) = (2, 3)$. Therefore, the answer is 5.

Constraints

- $1 \leq N, Q \leq 250\,000$

- $1 \leq C[i] \leq 5 \cdot 10^8$ for every $1 \leq i \leq N$
- $1 \leq P[i] < i$ for every $2 \leq i \leq N$
- $2 \leq u, v \leq N$ for every query
- Neither u nor v is an ancestor of the other.

Subtasks

For some subtasks, the tree satisfies the following additional properties:

- $P[2] = P[3] = 1$
- $P[i] = i - 2$ for every $4 \leq i \leq N$

We refer to such a tree as a **special tree**.

Subtask	Score	Additional Constraints
1	4	$N, Q \leq 500$; special tree
2	4	$N, Q \leq 500$
3	7	$C[i] \leq 20$ for every $1 \leq i \leq N$; special tree
4	7	$C[i] \leq 20$ for every $1 \leq i \leq N$
5	9	$C[i] \leq 400$ for every $1 \leq i \leq N$; special tree
6	9	$C[i] \leq 400$ for every $1 \leq i \leq N$
7	6	$C[P[i]] < C[i]$ for every $2 \leq i \leq N$; special tree
8	6	$C[P[i]] < C[i]$ for every $2 \leq i \leq N$
9	15	$N, Q \leq 100\,000$; special tree
10	15	$N, Q \leq 100\,000$
11	9	Special tree
12	9	No additional constraints.